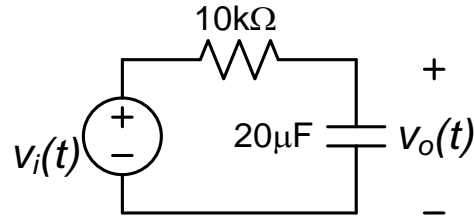
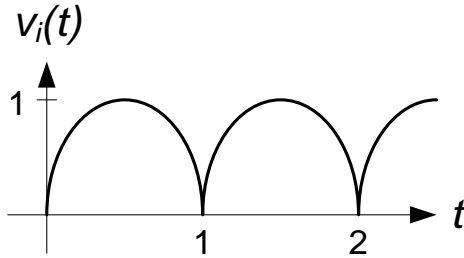


All problems use the following waveform and schematic. Note the waveform is a full-bridge rectified sin.



- P1 Concept:** Fourier Series cos/sin analysis
Find: DC and first two harmonics of input waveform in a,b form. Make coeffs numeric, not symbolic (e.g. 1.27 not $4/\pi$).
Hints:
 - While the waveform's $\omega_0 = 2\pi$, it is not $\sin(2\pi t)$ from $0 \leq t < 1$. It is either twice or half that frequency to get just the upper half of sin in $0 \leq t < 1$.
 - a_0 has 3 and a 6 in it (not necessarily in that order)
 - a_1 has a 4 and a 2 in it (not necessarily in that order)
- P2 Concept:** Fourier Series magnitude/phase analysis
Find: A_0 , $A_1 \angle \phi_1$, $A_2 \angle \phi_2$ of the input waveform
- P3 Concept:** Frequency transfer functions
Find: $H(\omega)$
Hints:
 - There is a 5 in the numerator and a simple single-pole denominator
- P4 Concept:** Fourier Series circuit analysis
Find: A'_0 , $A'_1 \angle \phi'$, $A'_2 \angle \phi'$ of the output waveform
Hints:
 - A'_0 has a 3,6 in it, not necessarily in that order
 - A'_1 has a 2,6 in it, not necessarily in that order
- P5 Concept:** Fourier Series synthesis
Find: Output waveform as constructed by its DC and first two harmonics
- P6** Not for grade, just a thought question: if you were doing this for industry, how would you know how many harmonics you need to add to get an answer that was, say, accurate to about 1%?