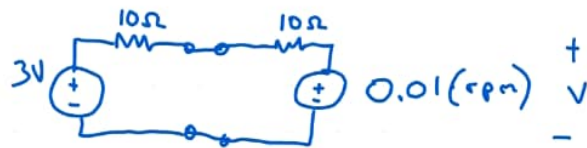


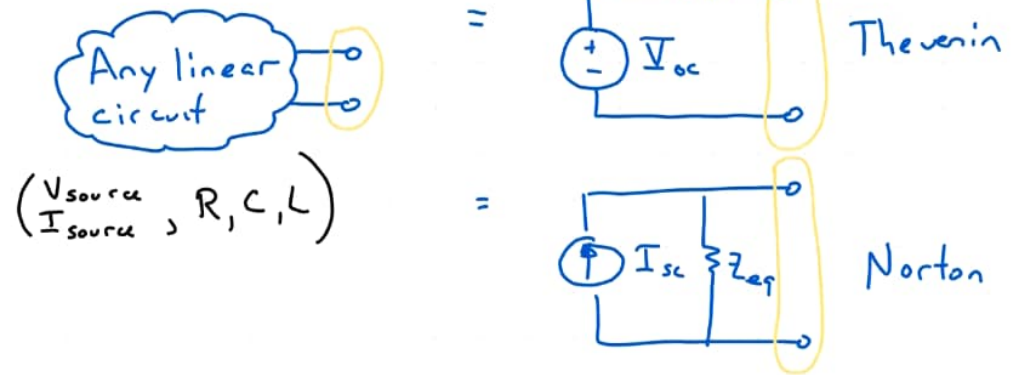
Phasors & $\begin{cases} \text{Thevenin} \\ \text{Norton} \end{cases}$

- ① Review
- ② Example (complex)
- ③ Collaborative problem

Why?

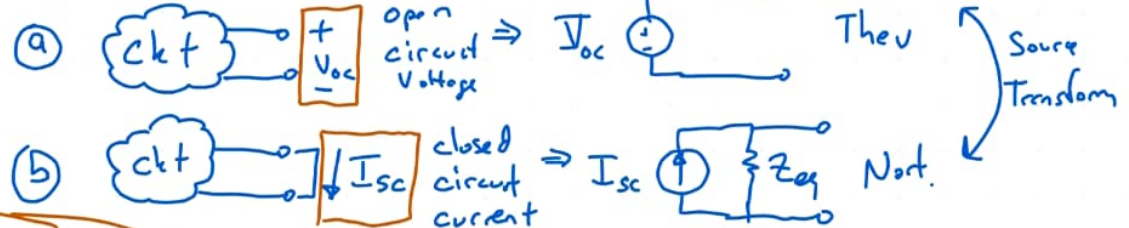


Concept



How to find

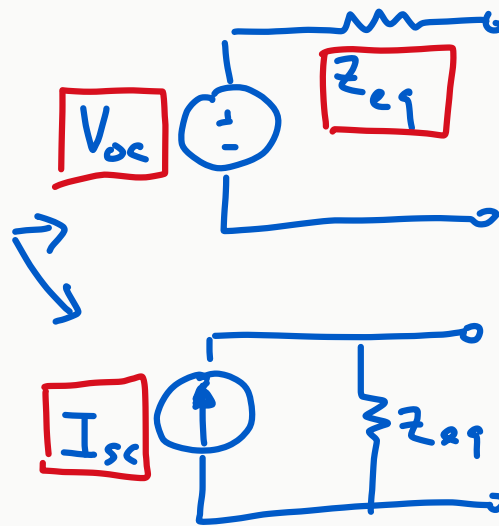
① Experimental



② Theory

(c) $Z_{eq} = \frac{V_{oc}}{I_{sc}}$

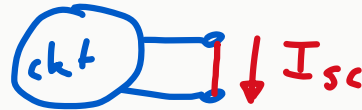
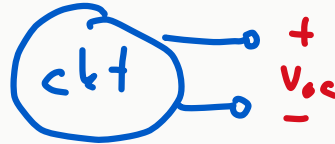
Any linear circuit



Thevenin
source
transforms
Norton

Method

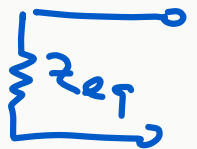
- (A) [① V_{oc} and I_{sc}
② $Z_{eq} = V_{oc} / I_{sc}$]



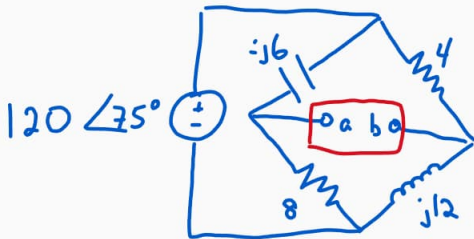
- (B) [① V_{oc} or I_{sc}
② Z_{eq} by zeroing sources & R simplification
③ V_{oc} or I_{sc} by Ω 's Law]

- (C) [① 1 V test voltage or 1 A test current at output
② Measure resulting I or V
③ Z_{eq} by Ω 's Law.]

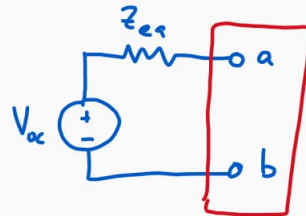
must use if $\left\{ \begin{array}{l} \text{impedances and} \\ \text{all dependent sources} \end{array} \right\} \Rightarrow$ entire circuit looks like



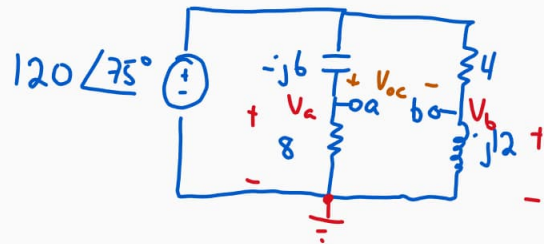
Example



Thevenin Equiv



① Find V_{oc} or I_{sc}



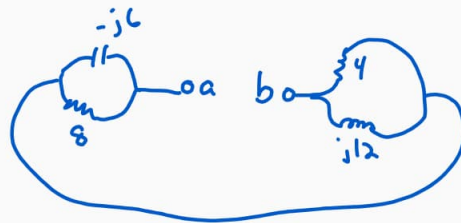
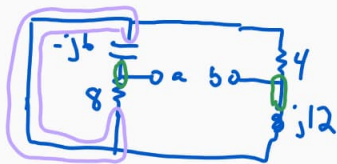
$$V_a = 120 \angle 75^\circ \frac{8}{8-j6} = 96 \angle 112^\circ$$

$$V_b = 120 \angle 75^\circ \frac{j12}{4+j12} = 114 \angle 93^\circ$$

$$V_{oc} = V_a - V_b = 96 \angle 112^\circ - 114 \angle 93^\circ$$

$$V_{oc} = 38 \angle -140^\circ \text{ polar}$$

② Find Z_{eq}

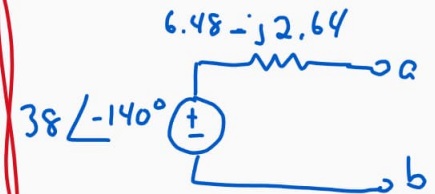


$$Z_{eq} = (8 \parallel -j6) + (4 \parallel j12)$$

$$= \frac{-j48}{8-j6} + \frac{j48}{4+j12}$$

$$Z_{eq} = 6.48 - j2.64 \text{ rectangular}$$

Freq (phasor) domain



Time domain

$$6.48 - j2.64$$

R

C

$$Z_c = \frac{1}{j\omega C} = \frac{-j}{\omega C} = -j2.64$$

$$\omega C = 2.64$$

$$C = \frac{2.64}{\omega}$$

